MATHEMATICS 225 (B1)

LINEAR ALGEBRA II

SUMMER SESSION 2005

INSTRUCTOR: I. E. e-ma or	Leonard, CAB 679 ail: eleonard@math.ualberta.ca isaac@cs.ualberta.ca
OFFICE HOURS: Tuesday and Thursday: 3:00 p.m. – 4:00 p.m. or by appointment	
GRADING SCHEME:	Assignments
ASSIGNMENTS:	There will be 5 assignments, and you are encouraged to work together and discuss the solutions with your fellow students. Of course, the assignment that you submit for grading should be your own version, not a carbon copy of an assignment submitted by another student. Assignments are to be handed in before 5:00 pm on the date due, in the box provided on the 3rd floor in CAB Because of the rather tight schedule during summer session, late assignments will <u>not</u> be accepted.
EXAMINATIONS:	Midterm Examination: Monday, July 25, in class. Final Examination: Thursday, August 11, 3:00 – 5:00
SOLUTIONS:	Solutions to the assignments and examinations will be posted on my home page on the web:
http://www.cs.ualberta.ca/~isaac/	
TEXTBOOKS: Required: Linear Algebra and its Applications, Third Edition by David C. Lay	

CALENDAR DESCRIPTION:

MATH 225 Linear Algebra II

Vector spaces. Inner product spaces. Examples of n-space and the space of continuous functions. Gram-Schmidt process. QR-factorization of a matrix and least squares. Linear transformations, change of basis, similarity and diagonalization. Orthogonal diagonalization, quadratic forms. Application in a variety of fields, numerical methods. Prerequisites: MATH 120 or 125 or any linear algebra course. Mathematics 31 or any calculus course. Note: This course cannot be taken for credit if credit has already been obtained in Math 121 or 227.

Linear Algebra II

Topics Selected From

- Appendix A: ▶ Uniqueness of the Reduced Echelon Form Appendix B: ► Complex Numbers Chapter 4: Vector Spaces ▶ 4.1 Vector Spaces and Subspaces ▶ 4.2 Null Spaces, Column Spaces, and Linear Transformations ► 4.3 Linearly Independent Sets; Bases ► 4.4 Coordinate Systems ▶ 4.5 The Dimension of a Vector Space ▶ 4.6 Rank ▶ 4.7 Change of Basis ▶ 4.8 Application to Difference Equations 4.9 Applications to Markov Chains Chapter 5: **Eigenvalues and Eigenvectors** ▶ 5.1 Eigenvectors and Eigenvalues ▶ 5.2 The Characteristic Equation ▶ 5.3 Diagonalization ▶ 5.4 Eigenvectors and Linear Transformations ▶ 5.5 Complex Eigenvalues ▶ 5.6 Discrete Dynamical Systems* ▶ 5.7 Applications to Differential Equations 5.8 Iterative Estimates for Eigenvalues Chapter 6: Orthogonality and Least Squares ▶ 6.1 Inner Product Length and Orthogonality \blacktriangleright 6.2 Orthogonal Sets ► 6.3 Orthogonal Projections ▶ 6.4 The Gram-Schmidt Process ▶ 6.5 Least-Squares Problems ▶ 6.6 Applications to Linear Models^{*} ▶ 6.7 Inner Product Spaces ▶ 6.8 Applications of Inner Product Spaces Chapter 7: Symmetric Matrices and Quadratic Forms ▶ 7.1 Diagonalization of Symmetric Matrices ▶ 7.2 Quadratic Forms ▶ 7.3 Constrained Optimization* ▶ 7.4 The Singular Value Decomposition 7.5 Applications to Image Processing and Statistics
- * Time permitting.